Development Economics

Slides 15

Debraj Ray, NYU

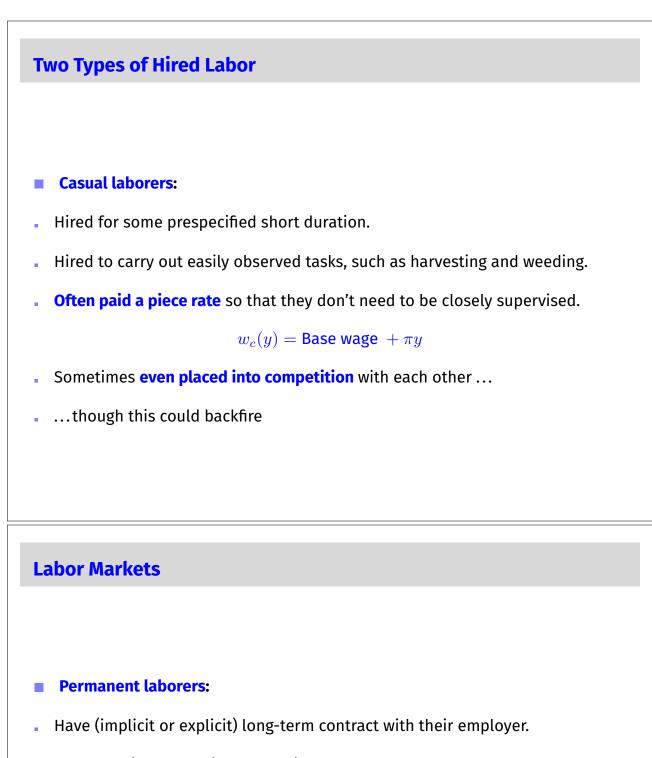
Labor Markets

A substitute for land markets:

- Instead of the land going to the tenant
- The tenant goes to the land (as a laborer)

Sometimes complementary with land markets

- E.g., both follow the bullock distribution when that market collapses
- Or both can follow the wealth distribution
- In these cases, employers can rent in land and hire in labor.



- May serve in a supervisory capacity.
- Perform tasks that **require special care** and are **harder to monitor**:

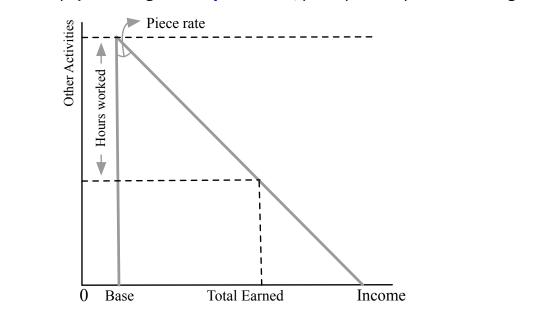
e.g., application of fertilizer, pesticides or water.

In addition, they might perform "standard" tasks along with casual hires

e.g., participating in the harvesting process.

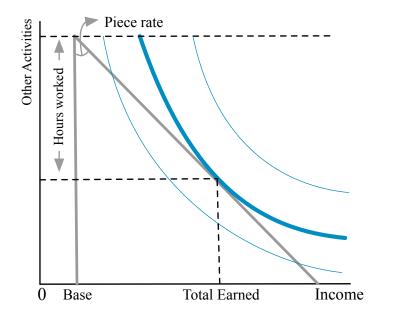
Casual Labor

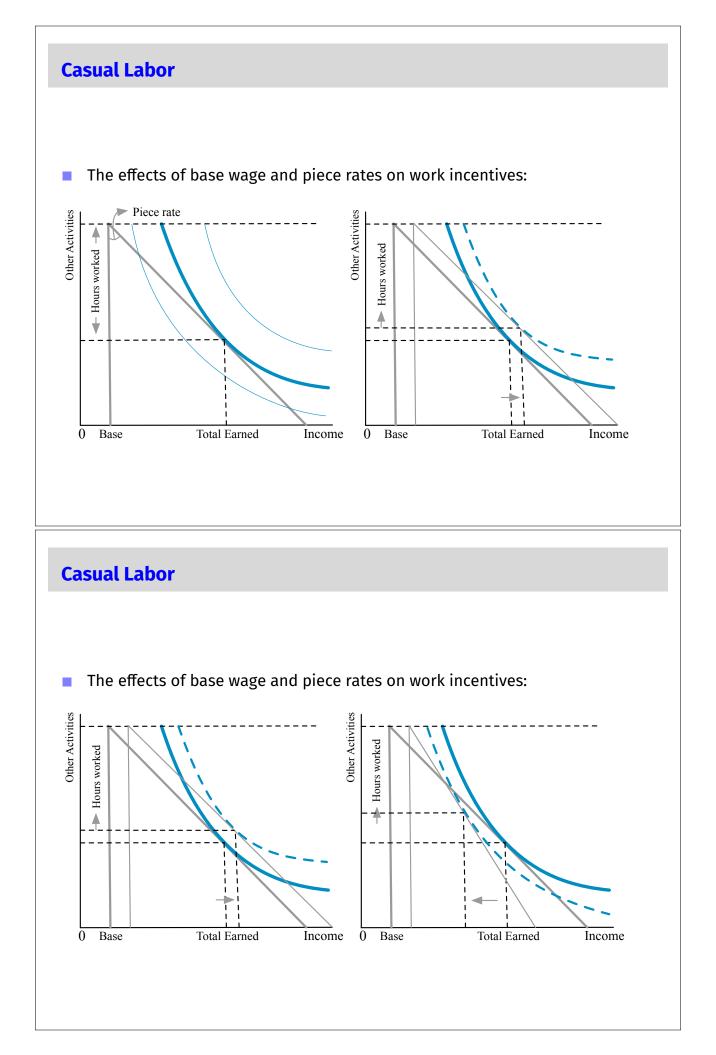
- Casual workers often do observable tasks, but still need to be incentivized.
- Suggests that payment might be in piece rates, perhaps on top of a base wage.



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Example: A Tea Plantation in Southern India



Example: A Tea Plantation in Southern India

Jayaraman et al 2018

- Plantation:
- Owned by a large producer in Southern India.
- Dominant source of low-skilled employment.
- One of several in the local tea-growing region.
- Plucking:
- Several hundred fields, 2000 workers.
- Tea grows in rows pruned to resemble 1m tall hedges.
- Plucked by hand or shears, leaves collected in individual bags.
- 70% female (so are the supervisors)
- 65% permanent (median tenure 21 years)

Example: A Tea Plantation in Southern India

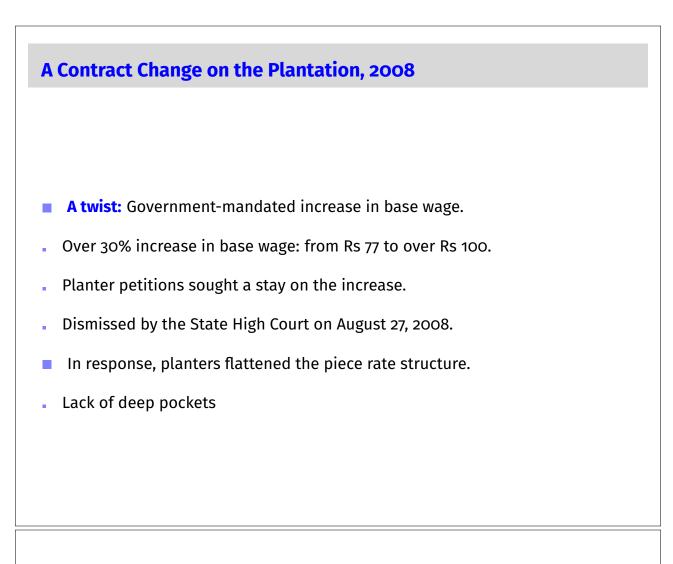
Work Setup:

- Pluckers pre-assigned to "gangs" of 20–40 members.
- Each gang has one supervisor.
- Assigned to fields and plucking method; pre-determined schedule.

Contracts:

- Fixed baseline wages + piece rates
- Bags weighed daily: wages calculated on this basis.
- Wages paid monthly.



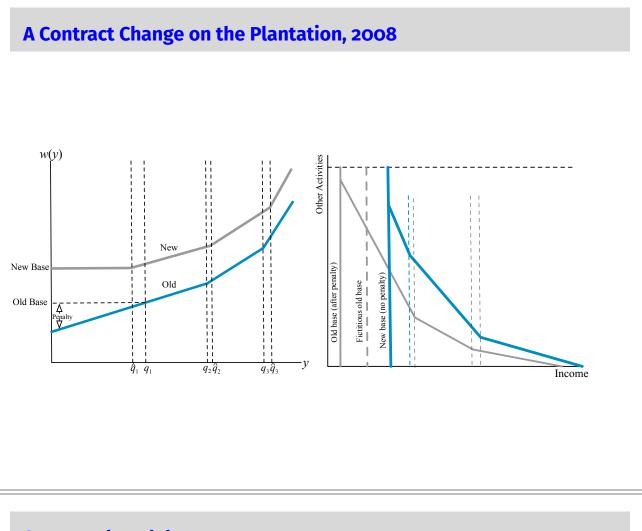


Old Contract

	SubStandard		Standard		Threshold 2		Threshold 3	
	Hands	Shears	Hands	Shears	Hands	Shears	Hands	Shears
Yield Class 2	0	0	23	28	34	39	50	55
Yield Class 3	0	0	28	33	44	49	59	64
Piece Rate (Rs.)	0.40 $ ightarrow$		0.40 $ ightarrow$		0.55 $ ightarrow$		0.85 $ ightarrow$	

New Contract

	SubStandard		Standard		Threshold 2		Threshold 3	
	Hands	Shears	Hands	Shears	Hands	Shears	Hands	Shears
Yield Class 2	0	0	22	28	36	43	52	59
Yield Class 3	0	0	27	33	46	53	61	68
Piece Rate (Rs.)	m o ightarrow		0.40 $ ightarrow$		0.55 $ ightarrow$		0.85 $ ightarrow$	



Structural Model

- Idea:
- Estimate a "standard" model off the pre-contract data.
- Apply it "out of sample" to the post-contract data.
- Model
- Observe a shock μ , then choose y to maximize

$$w(y) - \frac{\mu}{\theta} \left[e^{\theta y} - 1 \right]$$

linear u convex cost

- minus a supervisory penalty for not meeting absolute output minimum.
- θ measures curvature of effort disutility.
- **Exercise.** Given w(y), estimate θ and parameters of μ .

Estimation Procedure using 2007 Treatment Plantation

[simplified]

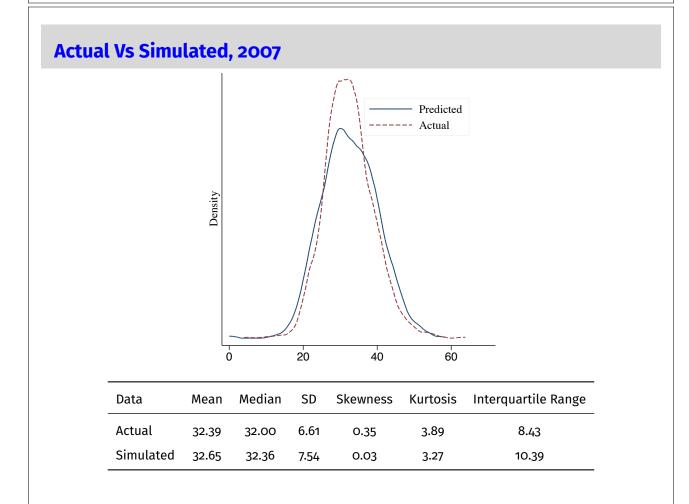
Step 1. Estimate μ . Fix θ . Estimate scale and shape parameters for μ separately for each worker.

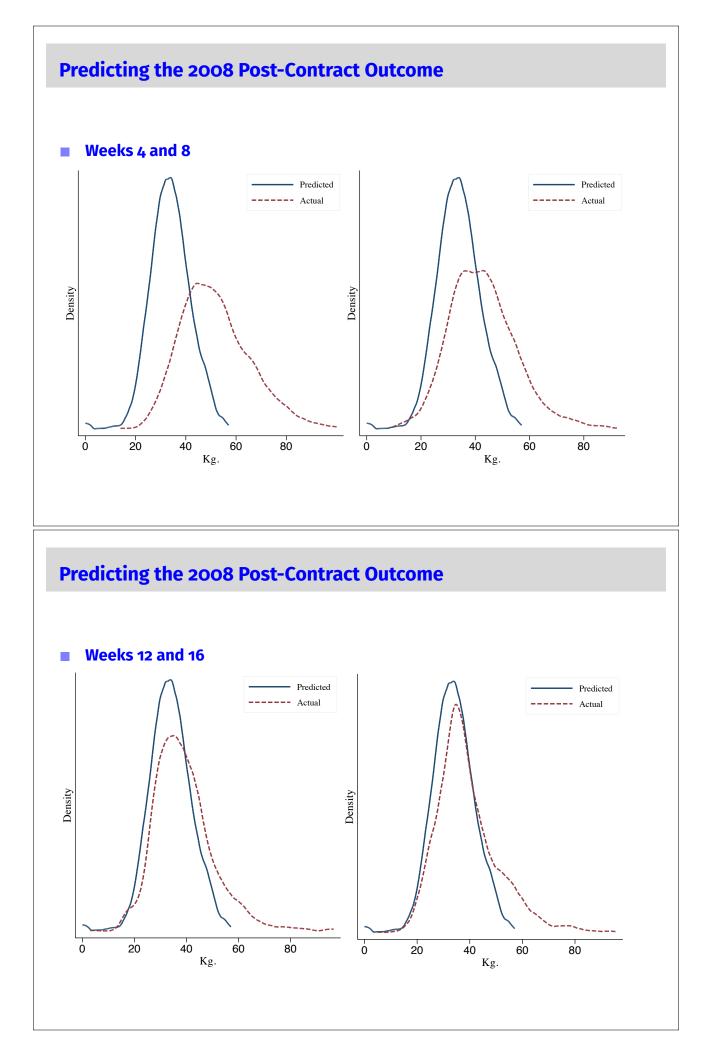
Step 2. Simulate 2007 output. For each worker, generate optimal output using draws from μ .

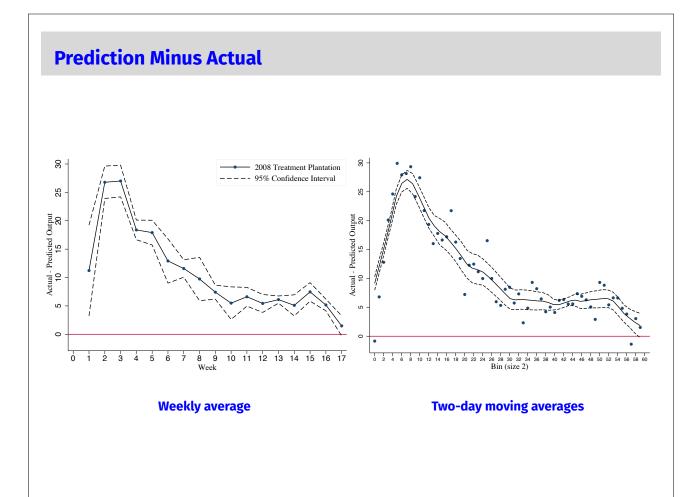
• Optimality captured by first order condition for effort.

Step 3. Choose best fit. Repeat Steps 1–2 for 200 possible values of θ on a grid.

- Match simulated data to actual 2007 data.
- Obtain $\theta = 0.9$, select as estimate.







Summary of the Tea Plantation Story

- We study a **contract change** for tea pluckers in an Indian plantation.
- Raised baseline wages, but lowered marginal incentives.
- Followed near-immediately by a dramatic **increase** in productivity.
- Appears to directly contradict the predictions of standard model.
- And yet: a subsequent **reversal**:
- Initial increase is comprehensively eroded (4th month, last 2 weeks).
- Standard model estimated off pre-change data works well.
- **Classical incentives** appear to ultimately dominate
- despite a possibly "behavioral" response in the shorter term.

Permanent Labor

Recall two forms of income:

- **casual** w_c (overall value of base + piece rate effort costs)
- permanent w_p , also with effort cost x.
- Immediate payoff to worker:
- $w_p x$ if he works.
- w_p if he shirks, so x is also the gain made from shirking.
- Punishment for shirking:
- Can only get access to casual labor contracts thereafter.
- Can get access to permanent contracts with some probability (more complex)

Permanent Labor

A division of tasks between the two types of labor is to be expected.

- Some actions have longer-term consequences
- Fertilizer, pesticide, sowing
- A long-term employee can be held accountable
- But that argument leads to a question.
- In what way is the longer-term employee held accountable?
- Repay past wages? Very unlikely.
- Fire the employee? More likely.
- \Rightarrow Long-run contracts \mapsto payments that strictly exceed outside options.

Hard-To-Supervise Tasks and Labor Market Equilibrium

Self-enforcement constraint:

$$\frac{w_p - x}{1 - \delta} \ge w_p + \delta \frac{w_c}{1 - \delta}$$

which on rearrangement yields:

$$x \leq rac{\delta}{1-\delta}[(w_p-x)-w_c]$$
 or equivalently, $x \leq \delta(w_p-w_c).$

- Both are exactly the same expressions, but the first one makes it clear that:
- There is an endogenous wage differential: $w_p x > w_c$.

Variation:

- Possible re-employment in permanent labor contract with probability q.
- First calculate the value after he is fired:

$$V = q\frac{w_p - x}{1 - \delta} + (1 - q)[w_c + \delta V]$$

Hard-To-Supervise Tasks and Labor Market Equilibrium

Post-firing value:

$$V = q \frac{w_p - x}{1 - \delta} + (1 - q)[w_c + \delta V], \text{ and so}$$
$$V = q \frac{w_p - x}{(1 - \delta)[1 - \delta(1 - q)]} + \frac{(1 - q)w_c}{1 - \delta(1 - q)}.$$
 (1)

The self-enforcement constraint is:

$$\frac{w_p - x}{1 - \delta} \ge w_p + \delta V = w_p + \frac{\delta q(w_p - x)}{(1 - \delta)[1 - \delta(1 - q)]} + \frac{\delta(1 - q)w_c}{1 - \delta(1 - q)}$$
(2)

Combining (1) and (2) and after some elementary algebra:

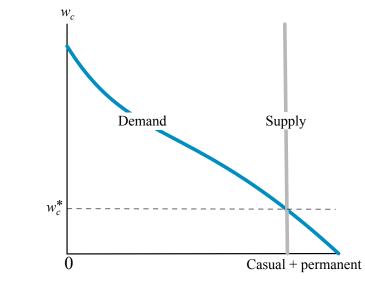
$$x \le \delta(1-q)(w_p - w_c).$$

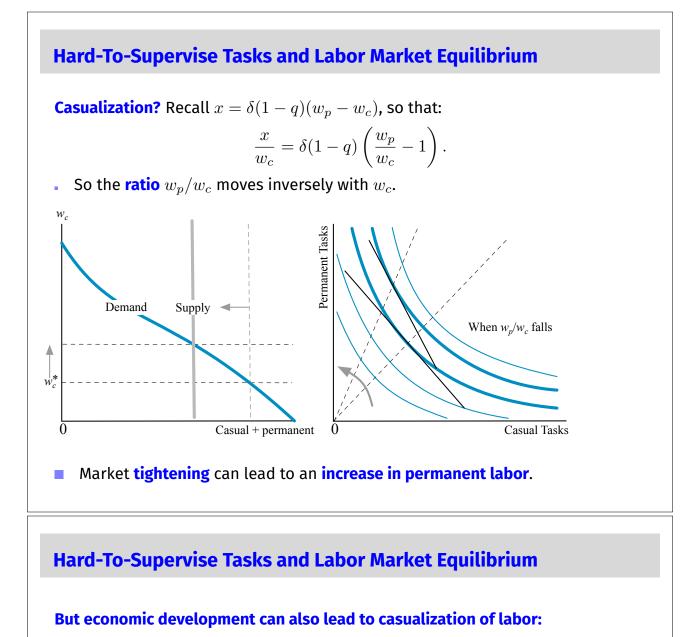
For any w_c , employer will offer w_p just enough for this to hold with "=".

Again, note endogenous wage differential: $w_p - x > w_c$.

Hard-To-Supervise Tasks and Labor Market Equilibrium **Endogenous wage differentials:** Notice how the same person gets paid differently in different sectors: Everyone would like to work as a permanent laborer But they cannot credibly undercut the wage. The larger the effort cost *x*, the higher the wage **net** of effort cost! Can apply this observation over a cross-section of industries. Think about large firms, or more complex tasks, or group-based tasks Will typically command higher wages Hard-To-Supervise Tasks and Labor Market Equilibrium How to solve it: Recall $x = \delta(1-q)(w_p - w_c)$, so w_p moves in tandem with w_c .

 \Rightarrow a downward-sloping labor demand curve for all labor combined.





- Information transmission falls:
- Past defaults are not easily monitored
- So may be easier to get a permanent job again.

(This outcome can switch again with computerized tracking)

So *q* rises, and using:

$$\frac{x}{w_c} = \delta(1-q) \left(\frac{w_p}{w_c} - 1\right),\,$$

- we see that w_p/w_c could now rise.
- $\Rightarrow \text{ incidence of permanent labor could fall.}$
- We return to a combination of these effects in the next topic.

A Variation: Involuntary Unemployment

- Variation of the model applies to involuntary unemployment:
- "Casual labor" = **unemployment**, $w_c = s$ is **subsistence wage**;

Under this reinterpretation, s is some fixed number.

- "Permanent labor" = **employment**, $w_p = w$.
- q may or may not depend on the overall employment rate: q(e).

Why might it? And what form would this dependence take?

New version of equilibrium equation:

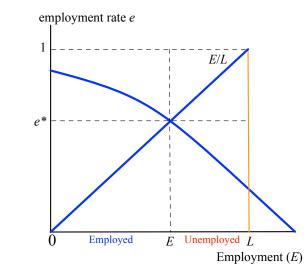
$$\frac{x}{s} = \delta(1 - q(e)) \left(\frac{w}{s} - 1\right).$$

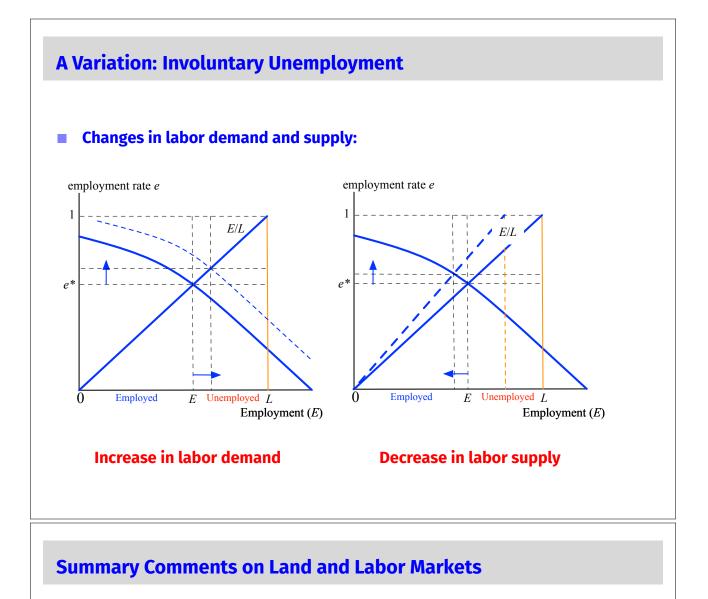
where q increases with e.

A Variation: Involuntary Unemployment

$$\frac{x}{s} = \delta(1 - q(e)) \left(\frac{w}{s} - 1\right).$$

- Allows us to draw "supply-demand diagrams" in a different space:
- $e \uparrow \Rightarrow q \uparrow \Rightarrow w \uparrow \Rightarrow$ Labor demand \downarrow as function of e.





- These are not the usual supply-demand models!
- Moral hazard plays a central role
- Subtle interplay between employment and the outside option
- Involuntary unemployment and wage differentials are "natural" outcomes.
 See also:
- insurance contracts with reciprocity
- land contracts with eviction
- Most importantly, what looks like a fractured market may well be a second-best response to deep problems of adverse selection and moral hazard.